

GOVERNMENT POLYTECHNIC, NUAPADA

LESSON PLAN

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| Discipline: Electrical Engg. | Semester: 3rd | Name of the Teaching Faculty: Manas Ranjan Sahu (Lect. in Mathematics) |
| Subject: Engg. Math-III | No of Days/per week class allotted: 4P | Semester From Date: 01.10.2021 to Date: 08.01.2022 No. of Weeks: 15 |
| Week | Class Day | Theory Topics |
| 1ST | 1 st | 1. <u>COMPLEX NUMBER</u> Arrival of complex number. Introduction of i (iota) and its properties. Representation of complex number. Conjugate of a complex number and its properties. |
| | 2 nd | Modulus, Amplitude of a complex number and its properties. Representation of a Complex Number. |
| | 3 rd | Cube roots of Unity and its properties |
| | 4 th | Square roots of a complex Number |
| 2ND | 1 st | De Moivre's Theorem and its application |
| | 2 nd | Solve problems on TBE(Text Book Exercise) |

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| | 3 rd | <u>2. MATRICES</u> Define rank of a matrix with examples. |
| | 4 th | Perform elementary row transformations to determine the rank of a matrix. |
| 3RD | 1 st | State Rouché's theorem for consistency of a system of linear equations in unknowns. |
| | 2 nd | Solve equations in three unknowns testing consistency. |
| | 3 rd | <u>3. LINEAR DIFFERENTIAL EQUATIONS</u> Define Homogeneous & Non-Homogeneous linear Differential Equations with constant coefficients with example. General Solution of LDE in terms of C.F and P.I. Rules for Finding the Complementary Function (y_c). Case-I(Roots of A.E. are real and distinct) |
| | 4 th | Case-II(Roots of A.E. are real and repeated) Case-III (Roots of A.E. are imaginary) Case-IV (Combined case of all the above 3 cases) |
| 4TH | 1 st | Rules For finding Particular integral (y_p) or Complete Solution ($y_c + y_p$). $F(D)y = f(x) \Rightarrow y_p = \frac{f(x)}{F(D)}$ Case-I ($f(x) = x^n$ form) Case-II ($f(x) = e^{ax}$, such that $F(a) \neq 0$.) Case-III ($f(x) = e^{ax}$, such that $F(a) = 0$) |
| | 2 nd | Case-IV ($f(x) = \sin(ax+b)$ or $\cos(ax+b)$ such that $F(-a^2) \neq 0$) Case-V ($f(x) = \sin(ax+b)$ or $\cos(ax+b)$ such that $F(-a^2) = 0$) |
| | 3 rd | Case-VI ($f(x) = e^{ax}V$, V is function of x) Case-VII ($f(x) = xV$) |

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| | 4 th | Solve problems on TBE(Text Book Exercise) |
| 5TH | 1 st | Partial Differential Equation (PDE): Order and degree of PDE. Formation of a PDE |
| | 2 nd | Formation of PDE |
| | 3 rd | Solve Linear Equation of first order: $Pp+Qq=R$ |
| | 4 th | Solve problems on TBE(Text Book Exercise) |
| 6TH | 1 st | 4. LAPLACE TRANSFORMS Definition: Gamma Function, Properties of Gamma Function with examples |
| | 2 nd | Definition of Laplace Transform of $f(t)$. Linear Property. Evaluation of Laplace Transformation of some standard/Elementary Functions ($f(t)=k$ or t^n or e^{at} or e^{-at} or $\sinh at$ or $\cosh at$ or $\sin at$ or $\cos at$) |
| | 3 rd | Simple Use Laplace transform of Standard formula. |
| | 4 th | Shifting Theorems/ Property Change of Scale Property |
| 7TH | 1 st | Application of Using Shifting Property |
| | 2 nd | Transform of $e^{at} f(t), t^n f(t), \frac{1}{t} f(t)$ with Example |
| | 3 rd | Formulate Laplace transform of Derivatives, integrals, multiplication by t^n and division by t with example |
| | 4 th | -DO- |
| 8TH | 1 st | Define: Inverse Laplace Transform (ILT). Formula for standard function |
| | 2 nd | ILT by method of partial fraction |
| | 3 rd | -Do- |
| | 4 th | Solve problems on TBE(Text Book Exercise) |

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| 9TH | 1 st | 5. <u>FOURIER SERIES</u> Define Periodic Functions with graphs. Even/Odd Functions. Dirichlet Function |
| | 2 nd | Define Fourier Series and its notations. Euler formula for Fourier Series |
| | 3 rd | Workout Examples |
| | 4 th | Dirichlet Condition for the expansion of Fourier series and its convergent |
| 10TH | 1 st | Problem Solving on previous class |
| | 2 nd | Problem Solving on previous class |
| | 3 rd | Problem Solving on previous class |
| | 4 th | Fourier Series of Even/Odd functions in $(0 \leq x \leq 2\pi \text{ and } -\pi \leq x \leq \pi)$ |
| 11TH | 1 st | Problem Practice of previous class |
| | 2 nd | Fourier Series of Continuous functions and functions having point of discontinuous in $(0 \leq x \leq 2\pi \text{ and } -\pi \leq x \leq \pi)$ |
| | 3 rd | Problem Practice of previous class |
| | 4 th | Solve problems on TBE(Text Book Exercise) and previous year questions |
| 12TH | 1 st | 6. <u>NUMERICAL METHODS</u> Limitation of analytical methods of solution of Algebraic Equation. |
| | 2 nd | Derive iterative formula for finding the solutions of Algebraic Equation by I- Bisection Method |
| | 3 rd | II- Newton-Raphson Method |
| | 4 th | Solve problems on TBE(Text Book Exercise) |
| 13TH | 1 st | 7. <u>FINITE DIFFERENCE & INTERPOLATION</u> Formation of Forward(Δ) and Backward(∇) Difference table. |

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| | 2 nd | Define: Shift operator (E). Relation among the operators |
| | 3 rd | Newton's forward and backward interpolation for equal interval |
| | 4 th | Problem Solving on previous class |
| 14TH | 1 st | Problem Solving on previous class |
| | 2 nd | Lagrange Interpolation formula for unequal intervals |
| | 3 rd | Problem Solving on previous class |
| | 4 th | Explain Numerical Integration. 1. Newton's Cote's formula |
| 15TH | 1 st | Problem Solving on previous class |
| | 2 nd | 2. Trapezoidal Rule. Solving problems |
| | 3 rd | 3. Simpson's 1/3 rd rule. Solving Problems. |
| | 4 th | Problem Solving on previous class |